

| 頁 | 箇所 | 誤 | 正 | 刷 |
|-----|---------------|---|--|-----|
| v | ↓13 | 2. 算問題の解答方法 | 2. 計算問題の解答方法 | ~4刷 |
| 5 | ↓12 | $\dots \frac{187.1}{282.8} \times 100 \approx \dots$ | $\dots \frac{187.1}{262.8} \times 100 \approx \dots$ | 1刷 |
| 9 | (1)↓5 | $\dots = 25 \times 10^3 [\text{kW}]$ | $\dots = 250 \times 10^3 [\text{kW}]$ | 1刷 |
| | (1)↓6 | $\therefore \text{流量} Q_G = \frac{25 \times 10^3}{9.8 \times 500 \times 0.85} =$ | $\therefore \text{流量} Q_G = \frac{250 \times 10^3}{9.8 \times 500 \times 0.85} =$ | 1刷 |
| | ↑1 | $\approx 283.373 [\text{kV} \cdot \text{A}]$ | $\approx 283.373 [\text{kV} \cdot \text{A}]$ | ~4刷 |
| 10 | ↓7 | 渇水量は… | 揚水量は… | 1刷 |
| 13 | 問題9表 | 電動機効率 φ_M 発電機効率 φ_G | 電動機力率 φ_M 発電機力率 φ_G | 1刷 |
| 13 | 問題9(2) | …電動機の最大皮相容量 S_M … | …電動機の最大皮相電力 S_M … | 1刷 |
| 14 | ↓1 | | | |
| 18 | 問題11表 | 上水槽水位 Z_1 放水路水位 Z_2 | 上水槽水位 Z_1 放水路水位 Z_2 | 1刷 |
| 19 | (2)① | ①水圧変動率 : $\delta_H = \dots$ | ① 水圧変動率 : $\delta_P = \dots$ | 1刷 |
| 24 | 表[特徴] ↓1 | 気水ドラム | 汽水ドラム | ~4刷 |
| 33 | ↓2 | B : 荷変化が大きく取れ負荷追随性が… | B : 負荷追随性が… | ~4刷 |
| 39 | ↑1 | …まで高めた濃縮ウランを核燃料として… | …まで高めた低濃縮ウランを核燃料として… | ~4刷 |
| 50 | 解説 (1) ①↓2 | プロロカーボン | フルオロカーボン | ~4刷 |
| 53 | ↓1 | $\dot{I}_b = \frac{\dot{Z}_a}{\dot{Z}_a + \dot{Z}_b} \dot{I}_L + \dots$ | $\dot{I}_b = \frac{\dot{Z}_a}{\dot{Z}_a + \dot{Z}_b} \dot{I}_L - \dots$ | ~4刷 |
| 54 | 表2 | 全負荷 P [kW] | 全負荷 P [MW] | 1刷 |
| 56 | ↓3 | …時間定別に… | …時間帯別に… | ~4刷 |
| | 表 | 全負荷 P [kW] | 全負荷 P [MW] | ~4刷 |
| | (4)↓1 | $\dots W = 12 \times 8 + 18 \times 6 + \dots$ | $\dots W = 12 \times 8 + 18 \times 4 + \dots$ | ~4刷 |
| 61 | (2)④↓2 | … $Z_4 + Z_5 + Z_6$ との… | … $Z_4 + Z_5 + Z'_6$ (Z'_6 は Z_6 の10MV·A換算値)との… | ~4刷 |
| | (2)④↓4 | $\dots \frac{1}{\bar{Z} + \frac{1}{Z_4 + Z_5 + Z_6}} = \frac{1}{0.5 + \frac{1}{1.7 + 0.5 + 0.1}} \dots$ | $\dots \frac{1}{\bar{Z} + \frac{1}{Z_4 + Z_5 + Z'_6}} = \frac{1}{0.5 + \frac{1}{1.7 + 0.1 + 0.05}} \dots$ | ~4刷 |
| 70 | ↓1 | 図のように、2000 [V·A] の… | 図のように、2000 [kV·A] の… | ~4刷 |
| 72 | (4)↑1 | $\dots = 806.5 \div 807 [\%]$ | $\dots = 836.3 \div 836 [\%]$ | ~4刷 |
| 91 | ↓10 | $\therefore H = \dots \frac{W(2S_A)^2 - W(2S_B)^2}{8T}$ | $\therefore H = \dots \frac{W(2S_B)^2 - W(2S_A)^2}{8T}$ | ~4刷 |
| 96 | ↓2 | $= \frac{3E_s E_r}{Z} \{ \cos(\delta - \varphi) \dots$ | $= \left(\frac{3E_s E_r}{Z} \right) \cos(\delta - \varphi) \dots$ | 1刷 |
| | ↓7 | $Q_r = \frac{V_s V_r}{Z} \sin(\delta - \varphi) \dots$ | $Q_r = - \frac{V_s V_r}{Z} \sin(\delta - \varphi) \dots$ | ~4刷 |
| | ↓9 | $\left(P_r + \frac{R V_r^2}{Z^2} \right) + \dots$ | $\left(P_r + \frac{R V_r^2}{Z^2} \right)^2 + \dots$ | ~4刷 |
| | ↓10～11 | $\therefore Q_r = \frac{X V_r^2}{Z^2} \dots$ $= \frac{X V_r^2}{R^2 + X^2} \pm \sqrt{\left(\frac{V_s V_r}{R^2 + X^2} \right)^2 - \dots}$ | $\therefore Q_r = - \frac{X V_r^2}{Z^2} \dots$ $= - \frac{X V_r^2}{R^2 + X^2} \pm \sqrt{\frac{(V_s V_r)^2}{R^2 + X^2} - \dots}$ | 1刷 |
| 99 | ↓6 | $\dots + \left(\frac{2XQ}{3E_s} \right)^2 (P^2 + Q^2)$ | $\dots + \left(\frac{X}{3E_s} \right)^2 (P^2 + Q^2)$ | 1刷 |
| 100 | ↑1 | 二次母線電圧 $V_s = 0.916 \times 77 = 68.7 [\text{kV}]$ | 二次母線電圧 $V_s = 0.8916 \times 77 = 68.7 [\text{kV}]$ | 1刷 |

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| 104 | ↑8 | $= \frac{3E_s E_r}{Z} \left\{ \cos(\delta - \varphi) - \frac{3E_r^2}{Z \cos \varphi} \right\}$ | $= \left\{ \frac{3E_s E_r}{Z} \cos(\delta - \varphi) - \frac{3E_r^2}{Z} \cos \varphi \right\}$ | 1刷 |
| | ↑9 | $-j \left\{ \dots - \frac{3E_r^2}{Z} \sin \varphi \right\}$ | $-j \left\{ \dots + \frac{3E_r^2}{Z} \sin \varphi \right\}$ | ~4刷 |
| 105 | (2)↑1 | $\dots = 0.9775 = 97.5 [\%]$ | $\dots = 0.97746 = 97.7 [\%]$ | ~4刷 |
| 110 | ↓5 | $= \frac{\dots \times \sqrt{1 - 0.154545^2} - 66^2}{7.267} \times 10^6 [\text{var}]$ | $= \frac{\dots \times \sqrt{1 - 0.154545^2} - 66^2}{7.267} \times 10^6 [\text{var}]$ | 1刷 |
| 113 | ↑1 | $\dots = 547.8 \div 547 [\text{A}]$ | $\dots = 547.77 \div 548 [\text{A}]$ | ~4刷 |
| 124 | ↑3 | $i = \frac{(1350 - j654) \times 10^3}{3} \times \dots$ | $i = \frac{(1350 - j654) \times 10^3}{3} \times \dots$ | ~4刷 |
| 129 | ↓2 | $= 100 - \left(\frac{\sqrt{3}}{2} - j \frac{1}{2} \right) = \dots$ | $= 100 \left(-\frac{\sqrt{3}}{2} - j \frac{1}{2} \right) = \dots$ | 1刷 |
| 133 | ↑5 | …高圧母線から系統側を… | …高圧母線から上位系統側を… | ~4刷 |
| 144 | (2)↑1 | $I_c = \omega C E = \omega C \frac{V}{\sqrt{3}} = \dots$ | $I_c = \omega C E \times 10^{-6} = \omega C \frac{V}{\sqrt{3}} \times 10^{-6} = \dots$ | ~4刷 |
| 157 | ↑1 | $\Delta P_G - \Delta P_L K \Delta F \dots \textcircled{2}$ | $\Delta P_G - \Delta P_L = K \Delta F \dots \textcircled{2}$ | ~4刷 |
| 173 | 一番下の図 | CB ₁ ：常時閉 CB ₁ ：常時閉 | CB ₁ ：常時閉 CB ₂ ：常時開 | ~4刷 |
| 184 | (4)↓2 | $\dots = \frac{32.5}{50} = 65 [\%]$ | $\dots = \frac{32.5}{50} \times 100 = 65 [\%]$ | 1刷 |
| 188 | (2)↓3 | $\dots = \frac{\text{平均損失電力}/\text{最大損失電力}}{\text{平均損失電力}/\text{最大送電端電力}} = \dots$ | $= \frac{\text{平均損失電力}/\text{最大損失電力}}{\text{平均送電端電力}/\text{最大送電端電力}} = \dots$ | ~4刷 |
| 192 | (2)↑1 | 97.75 [%] | 97.95 [%] | 1刷 |
| 203 | ↓4 | $E_{\text{touch}} = R I_E = \left(R_H + \frac{R_F}{2} \right) I_K = \dots$ | $E_{\text{touch}} = R I_E = \left(R_K + \frac{R_F}{2} \right) I_K = \dots$ | ~4刷 |
| 203 | ↑2 | …大地間の接地抵抗を… | …大地間の接触抵抗を… | ~4刷 |
| 204 | ↓1 | …要求される発電所の… | …要求される変電所の… | ~4刷 |
| 215 | (2)↑4 | ②…臨界抵抗値以下にならないように… | ②…臨界抵抗値にならないように… | ~4刷 |
| 224 | 問題表 | $r_1 = 0.707 [\Omega]$ | $r_1 = 0.0707 [\Omega]$ | 1刷 |
| | ↑2 | $P_2 = \omega_s T = 2\pi \frac{N_s}{60} [W]$ | $P_2 = \omega_s T = 2\pi \frac{N_s}{60} T [W]$ | 1刷 |
| 225 | ↑2～1 | $N_2 = \frac{120f_2}{p} (1 - s_1) [\text{min}^{-1}]$ $\therefore f_2 = \frac{pN_2}{120(1 - s_1)} = \frac{4 \times 1200}{120 \times (1 - 0.0196)}$ | $N_2 = \frac{120f_2}{p} (1 - s_2) [\text{min}^{-1}]$ $\therefore f_2 = \frac{pN_2}{120(1 - s_2)} = \frac{4 \times 1200}{120 \times (1 - 0.0204)}$ | 1刷 |
| 230 | ↓2 | $= 25.65 \div 25.7 [\text{A}]$ | $= 25.649 \div 25.6 [\text{A}]$ | ~4刷 |
| 231 | ↓6 | (2)出力 5 [kW] 時の… | (2)出力 15 [kW] 時の… | 1刷 |
| 232 | ↑2 | $s_2^2 + s_2 + 0.0192 = 0$ $\rightarrow s_2 = 0.0196, 0.980$ (不適) | $s_2^2 - s_2 + 0.0192 = 0$ $\rightarrow s_2 = 0.0196, 0.980$ (不適) $\rightarrow s_2 = 1.96 [\%]$ | ~4刷 |
| 236 | (4)↑1 | $\dots = \frac{10000}{2\pi \times \frac{1470}{60}} = \dots$ | $\dots = \frac{100000}{2\pi \times \frac{1470}{60}} = \dots$ | ~4刷 |
| 243 | (4)↑3 | $\dots = 160.33 [\text{A}]$ | $\dots = 160.03 [\text{A}]$ | ~4刷 |
| 245 | ↑5 | $\dots = \omega_0 (1 - s)$ | $\dots = \omega_0 (s - 1)$ | ~4刷 |
| 247 | ↑1 | …短節係数 K_p を用いて… | …短節係数 K_p を β を用いて… | 1刷 |
| 259 | 図1右 | $j \dot{X}_s \dot{I} = \dots$ | $j X_s \dot{I} = \dots$ | ~4刷 |
| 260 | 図2中2力所 | \dot{X}_s | X_s | ~4刷 |
| | (3) | (3)入力電圧 I_{al} , … | (3)入力電流 I_{al} , … | ~4刷 |

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| | ↑1 | $= \frac{1}{jX_s} \{E_{01} \sin \delta_1 + \dots\}$ | $= \frac{1}{X_s} \{E_{01} \sin \delta_1 + \dots\}$ | 1刷 |
| 261 | ↑6 | $I_{a1} = \frac{1}{jX_s} \{E_{01} \sin \delta_1 + \dots\}$ | $I_{a1} = \frac{1}{X_s} \{E_{01} \sin \delta_1 + \dots\}$ | 1刷 |
| 277 | (3)↑4 | $\dots = 0.4582$ | $\dots = 0.4583$ | ~4刷 |
| | (3)↑1 | $= \frac{0.4582 \times \dots}{0.4582 \times \dots}$ | $= \frac{0.4583 \times \dots}{0.4583 \times \dots}$ | ~4刷 |
| 284 | 表 | 励磁コンダクタンス (g_0) 0.043 [mΩ] | 励磁コンダクタンス (g_0) 0.043 [mS] | ~4刷 |
| 290 | ↓3 | $\%Z_B = 4 \times \frac{p_A}{p_B} = \dots$ | $\%Z_B = 4 \times \frac{P_A}{P_B} = \dots$ | 1刷 |
| | ↑6～5 | $p_A'' = p_{iA} + \left(\frac{p_A'}{p_A}\right)^2 p_{CA} = \dots$ $p_B'' = p_{iB} + \left(\frac{p_B'}{p_B}\right)^2 p_{CB} = \dots$ | $p_A'' = p_{iA} + \left(\frac{P_A'}{P_A}\right)^2 p_{CA} = \dots$ $p_B'' = p_{iB} + \left(\frac{P_B'}{P_B}\right)^2 p_{CB} = \dots$ | 1刷 |
| 293 | ↑1 | $\dots = 89.6[\%]$ | $\dots = 98.6[\%]$ | 1刷 |
| 317 | ↑3 | $V_0 = \sqrt{\frac{1}{\pi} \int_{\alpha}^{\pi} V_i^2 d\theta} = \dots$ | $V_0 = \sqrt{\frac{1}{\pi} \int_{\alpha}^{\pi} v_i^2 d\theta} = \dots$ | ~4刷 |
| 318 | (3)↑1 | $\bar{I}_T = \frac{1}{\pi R} \int_{\alpha}^{\pi} \sqrt{2}V_i \sin \theta d\theta = \frac{\sqrt{2}V_i}{\pi R} [-\cos \theta]_{\alpha}^{\pi}$ $= \frac{\sqrt{2}V_i}{\pi R} (1 + \cos \alpha)$ | $\bar{I}_T = \frac{1}{2\pi R} \int_{\alpha}^{\pi} \sqrt{2}V_i \sin \theta d\theta = \frac{\sqrt{2}V_i}{2\pi R} [-\cos \theta]_{\alpha}^{\pi}$ $= \frac{\sqrt{2}V_i}{2\pi R} (1 + \cos \alpha)$ | 1刷 |
| 318 | ↑1～3 | $\bar{V}_0 = \frac{1}{2\pi} \left\{ \int_{\alpha}^{\pi} V_i d\theta - \int_{\pi}^{2\pi} V_i d\theta \right\}$ $= \frac{1}{2\pi} \left\{ \int_{\alpha}^{\pi} \sqrt{2}V_i \sin \theta d\theta - \int_{\pi}^{2\pi} \sqrt{2}V_i \sin \theta d\theta \right\}$ $= \frac{\sqrt{2}V_i}{2\pi} \{[-\cos \theta]_{\alpha}^{\pi} - [-\cos \theta]_{\pi}^{2\pi}\}$ $= \frac{\sqrt{2}V_i}{2\pi} (-\cos \pi + \cos \alpha + \cos 2\pi - \cos \alpha)$ $= \frac{\sqrt{2}V_i}{2\pi} (3 + \cos \alpha)$ | $\bar{V}_0 = \frac{1}{2\pi} \int_{\alpha}^{2\pi} v_i d\theta$ $= \frac{1}{2\pi} \int_{\alpha}^{2\pi} \sqrt{2}V_i \sin \theta d\theta$ $= \frac{\sqrt{2}V_i}{2\pi} [-\cos \theta]_{\alpha}^{2\pi}$ $= \frac{\sqrt{2}V_i}{2\pi} (-1 + \cos \alpha)$ $= \frac{\sqrt{2}V_i}{2\pi} (\cos \alpha - 1)$ | ~4刷 |
| 339 | 問題 52 (6) | …出力電圧 V を E , I , R_L より… | …出力電圧 V を I , R_L より… | 1刷 |
| 341 | (6)↑2 | $-\frac{V}{R_L} \alpha + \left(1 - \frac{V}{R_L}\right)(1 - \alpha) = 0$ | $-\frac{V}{R_L} \alpha + \left(I - \frac{V}{R_L}\right)(1 - \alpha) = 0$ | ~4刷 |
| 346 | ↑1 | 式①を式②に代入すると | 式②を式①に代入すると | 1刷 |
| 347 | ↓5 | $= -\frac{s}{5 \left\{ 5s^2 + \frac{1+K_p}{5}s + \frac{K_p}{5T_I} \right\}}$ | $= -\frac{s}{5 \left\{ s^2 + \frac{1+K_p}{5}s + \frac{K_p}{5T_I} \right\}}$ | 1刷 |
| | ↑8 | …標準形は、ゲインを K , 減衰定数を… | …標準形は、減衰定数を… | ~4刷 |
| | ↑6 | $\frac{K\omega_n^2}{s^2 + 2\xi\omega_n s + \omega_n^2} \dots ④$ | $\frac{\omega_n^2}{s^2 + 2\xi\omega_n s + \omega_n^2} \dots ④$ | ~4刷 |
| 350 | ↑1 | $Y(s) = \dots = \frac{1}{2J} \left(\frac{1}{s} - \frac{2}{s^2 + 2^2} \right)$ | $Y(s) = \dots = \frac{1}{2J} \left(\frac{1}{s} - \frac{s}{s^2 + 2^2} \right)$ | 1刷 |
| 351 | (2)↑1 | $\frac{Y(s)}{U(s)} = \dots = \frac{G_1(s)G_2(s)}{1 + G_1(s)G_2(s)}$ | $\frac{Y(s)}{U(s)} = \dots = \frac{G_1(s)G_2(s)}{1 + G_1(s) + G_2(s)}$ | 1刷 |

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| 352 | ↓2 | $\frac{Y(s)}{R(s)} = \frac{(K_1 + K_{2s})G_1(s)G_2(s)}{1 + \frac{1}{s} + \frac{1}{2s} + (K_1 + K_{2s}) \times \frac{1}{s} \times \frac{1}{2s}} = \frac{K_1 + K_{2s}}{s^2 + (3 + K_2)s + K_1}$ | $\frac{Y(s)}{R(s)} = \frac{(K_1 + K_{2s}) \times \frac{1}{s} \times \frac{1}{2s}}{1 + \frac{1}{s} + \frac{1}{2s} + (K_1 + K_{2s}) \times \frac{1}{s} \times \frac{1}{2s}} = \frac{K_1 + K_{2s}}{2s^2 + (3 + K_2)s + K_1}$ | 1刷 |
| 353 | (2) | $C(s) = K$ のとき、開ループ系の ... | $C(s) = K$ のとき、閉ループ系の ... | 1刷 |
| 354 | (2)↑1 | $\therefore K = \omega_n^2 = 2\xi\omega_n = \dots$ | $\therefore K = \omega_n^2 = \dots$ | 1刷 |
| | ↑3～2 | 式②に、... $G_0(s) = \dots = \frac{A \times \frac{1}{0.1s+1} \times \frac{1}{s}}{1 + A \times \frac{s+1}{0.1s+1} \times \frac{1}{s}}$ | 式①に、... $G_0(s) = \dots = \frac{A \times \frac{1}{0.1s+1} \times \frac{1}{s}}{1 + A \times \frac{1}{0.1s+1} \times \frac{1}{s}}$ | 1刷 |
| 357 | (3)↓4 | $= \frac{1 \times (1/s)}{1 + 1 + (1/s)} \times 1 = \frac{1}{2s+1} = \frac{0.5}{s+0.5}$ | $= \frac{1 \times (2/s)}{1 + 1 + (2/s)} \times 1 = \frac{1}{s+1}$ | 1刷 |
| | (3)↑1 | $c(t) = \dots = 0.5e^{-0.5t}$ | $c(t) = \dots = e^{-t}$ | 1刷 |
| 358 | ↑3～2 | $Y(s) + \frac{1}{T} \left[\int_0^\infty \left(\int_0^\infty y(\tau) d\tau \right) e^{-st} dt \right] = X(s)$ $Y(s) + \frac{1}{T} \left\{ -\frac{1}{s} \left(\int_0^\infty y(\tau) d\tau \right) e^{-st} \right\}_0^\infty + \dots$ | $Y(s) + \frac{1}{T} \left[\int_0^\infty \left(\int_0^t y(\tau) d\tau \right) e^{-st} dt \right] = X(s)$ $Y(s) + \frac{1}{T} \left\{ -\frac{1}{s} \left(\int_0^t y(\tau) d\tau \right) e^{-st} \right\}_0^\infty + \dots$ | 1刷 |
| 359 | (2)↓3 | $= \left[-\frac{1}{s} + e^{-st} \right]_0^\infty + \dots = \frac{1}{s} \left[-\frac{1}{s} + e^{-st} \right]_0^\infty \dots$ | $= \left[-\frac{t}{s} e^{-st} \right]_0^\infty + \dots = \frac{1}{s} \left[-\frac{1}{s} e^{-st} \right]_0^\infty$ | 1刷 |
| | | $= \left[-\frac{t}{s} + e^{-st} \right]_0^\infty + \dots$ | $= \left[-\frac{t}{s} e^{-st} \right]_0^\infty + \dots$ | 2～4刷 |
| | ↑3 | $\dots = \left[\left\{ \int f(t) dt \right\} g(t) \right]_0^\infty$ | $\dots = \left[\left\{ \int f(t) dt \right\} g(t) \right]_a^b$ | 1刷 |
| 361 | (2)↓8 | $B = \dots = \left. \left(\frac{d}{ds} \times \frac{K}{Ts+1} \right) \right _{s=0} = \dots$ | $B = \dots = \left. \frac{d}{ds} \left(\frac{K}{Ts+1} \right) \right _{s=0} = \dots$ | ～4刷 |
| | (2)↑1 | $x(t) = K \{ t - T(1 - e^{-t/T}) \} u(t)$ | $x(t) = K \{ t - T(1 - e^{-t/T}) \}$ | ～4刷 |
| | (2)↑2 | $= K \left\{ \frac{1}{s^2} - \frac{T}{s} + \frac{T^2}{s + (1/T)} \right\}$ $= K \left[\frac{1}{s^2} - T \left\{ \frac{1}{s} - \frac{T}{s + (1/T)} \right\} \right] \dots ⑤$ | $= K \left\{ \frac{1}{s^2} - \frac{T}{s} + \frac{T}{s + (1/T)} \right\}$ $\dots = K \left[\frac{1}{s^2} - T \left\{ \frac{1}{s} - \frac{1}{s + (1/T)} \right\} \right] \dots ⑤$ | 1刷 |
| | (2)↑5 | …代入し、これをさらに式③に代入すると | …代入して整理すると | ～4刷 |
| | (2)↑4 | $X(s) = K \left(\frac{A}{s^2} + \frac{B}{s} + \frac{C}{Ts+1} \right) = \dots$ | $X(s) = \frac{A}{s^2} + \frac{B}{s} + \frac{C}{Ts+1} = \dots$ | ～4刷 |
| 368 | ↓6 | $\frac{d H(\omega) }{d\omega} = 0$ | $\frac{d H(j\omega) }{d\omega} = 0$ | ～4刷 |
| | ↓12 | $\omega = \sqrt{x} = \sqrt{12.615} = \dots$ | $\omega = \sqrt{x} = \sqrt{12.165} = \dots$ | ～4刷 |
| | ↑12 | $\dots \sqrt{\quad} \Big _{\omega=3.478} = \dots$ | $\dots \sqrt{\quad} \Big _{\omega=3.487} = \dots$ | 1刷 |
| 371 | (3)↓2 | $W_e(s) = \dots = \frac{s(s+1+K_2)}{s^2 + (1-K_2)s + K_1} =$ | $W_e(s) = \dots = \frac{s(s+1+K_2)}{s^2 + (1+K_2)s + K_1} =$ | 1刷 |
| | ↑1 | $= \lim_{s \rightarrow 0} \left\{ s \times \frac{s+10}{s^2 + 10s + 100} \times \frac{1}{s^2} \right\} = \dots$ | $= \lim_{s \rightarrow 0} \left\{ s \times \frac{s(s+10)}{s^2 + 10s + 100} \times \frac{1}{s^2} \right\} = \dots$ | 1刷 |
| 373 | ↑5 | $G(j\omega) = \dots = \frac{K}{\omega\sqrt{1+0.25^2+\omega^2}} \dots$ | $G(j\omega) = \dots = \frac{K}{\omega\sqrt{1+0.25^2\times\omega^2}} \dots$ | 1刷 |
| | ↑2 | ゲイン $\frac{K}{\omega_C\sqrt{1+0.25^2+\omega_C^2}} = 1$ | ゲイン $\frac{K}{\omega_C\sqrt{1+0.25^2\times\omega_C^2}} = 1$ | 1刷 |

| 頁 | 箇所 | 誤 | 正 | 刷 |
|-----|---------|--|--|------|
| 374 | ↓6～8 | $\frac{C(j\omega)}{R(j\omega)} = \dots = \frac{4K}{4K - \omega^2 + j4\omega} \dots \textcircled{③}$ となる。式③に $K=4\sqrt{2}$ を代入すると $\frac{C(j\omega)}{R(j\omega)} = \dots = \frac{16\sqrt{2}}{16\sqrt{2} - \omega^2 + j4\omega}$ | $\frac{C(j\omega)}{R(j\omega)} = \dots = \frac{4K}{4K - \omega^2 + j4\omega} \dots \textcircled{③}$ となる。上式に $K=4\sqrt{2}$ を代入すると $\frac{C(j\omega)}{R(j\omega)} = \dots = \frac{16\sqrt{2}}{16\sqrt{2} - \omega^2 + j4\omega} \dots \textcircled{③}$ | 1刷 |
| | (2)↑2 | $\therefore \omega_n = \sqrt{16\sqrt{2}} \approx 47.6[\text{rad/s}]$ | $\therefore \omega_n = \sqrt{16\sqrt{2}} \approx 4.76[\text{rad/s}]$ | 1刷 |
| | (3)↑2 | 最大振幅…を式③に代入して… | 最大振幅…を式③の絶対値に代入して… | ～4刷 |
| 375 | ↑4 | $G(s) = \dots = \frac{1}{2} \left(\frac{1}{s} - \frac{1}{s+1} + \frac{1}{s+2} \right) = \dots$ | $G(s) = \dots = \frac{1}{2} \left(\frac{1}{s} - \frac{2}{s+1} + \frac{1}{s+2} \right) = \dots$ | ～4刷 |
| | ↑1 | $W(s) = \frac{C(s)}{U(s)} = \dots = \frac{1}{s(s+1)(s+2+K)}$ | $W(s) = \frac{C(s)}{U(s)} = \dots = \frac{1}{s(s+1)(s+2)+K}$ | 1刷 |
| 376 | ↓9 | ② $\omega = \infty$ のとき : $G_K(j\omega) _{\omega=0} = \frac{K}{-j\infty} = 0$ | ② $\omega = \infty$ のとき : $G_K(j\omega) _{\omega=\infty} = \frac{K}{-j\infty} = j0$ | 1刷 |
| | | ② $\omega = \infty$ のとき : $G_K(j\omega) _{\omega=\infty} = \frac{K}{-j\infty} = 0$ | ② $\omega = \infty$ のとき : $G_K(j\omega) _{\omega=\infty} = \frac{K}{-j\infty} = j0$ | 2～4刷 |
| 378 | ↓5 | …するには、 $G(j\omega) = 1$ と… | …するには、 $G(j\omega) = -1$ と… | 1刷 |
| | ↑1 | $\dots = \frac{-40+j39}{59+j39}$ | $\dots = \frac{-41+j39}{59+j39}$ | ～4刷 |
| 379 | ↑5,8 | … $\omega < 1$ の範囲…、 $\omega > 1$ の範囲… … $\omega < 10$ の範囲…、 $\omega > 10$ の範囲… | … $\omega \ll 1$ の範囲…、 $\omega \ll 1$ の範囲… … $\omega \ll 10$ の範囲…、 $\omega \ll 10$ の範囲… | ～4刷 |
| 382 | (2)↓5 | 式③を式⑤に代入すると | 式③を式④に代入すると | 1刷 |
| | (3)↓4 | $\frac{K\omega_n^2}{s^2 + 2\xi\omega_n s + \omega_n^2} \dots \textcircled{⑤}$ | $\frac{\omega_n^2}{s^2 + 2\xi\omega_n s + \omega_n^2} \dots \textcircled{⑤}$ | 1刷 |
| 384 | ↑6, 7 | s^1 $K_p - \left(\frac{1}{T_D T_I} \right)$ s^0 $\frac{K_p}{T_I}$ | s^1 $K_p - \left(\frac{1}{T_D T_I} \right) \quad 0$ s^0 $\frac{K_p}{T_I} \quad 0$ | ～2刷 |
| 385 | (4)↓1 | $R(s)$ の場合、 $C(s)=0$ として、 $C(s)=\dots$ | $R(s)$ の場合、 $C(s)$ として、 $C(s)=\dots$ | 1刷 |
| | (6)↓1 | …補償器を $K_1 = \frac{K_2}{s}$ に置き換えた… | …補償器を $K_1 + \frac{K_2}{s}$ に置き換えた… | 1刷 |
| 387 | (4)↑1 | $= \lim_{s \rightarrow 0} \left\{ \frac{-Ts(s+1)}{Ts^2 + Ts + 1} \right\} = -T \dots \textcircled{⑪}$ | $= \lim_{s \rightarrow 0} \left\{ \frac{-T(s+1)}{Ts^2 + Ts + 1} \right\} = -T \dots \textcircled{⑪}$ | 1刷 |
| 391 | (4)↓7 | $= \frac{1}{K+1+\frac{K}{0}} = -\frac{1}{\infty} = 0$ | $= -\frac{0}{K} = 0$ | ～4刷 |
| 393 | ↑1 | $H_2 = \begin{vmatrix} 6 & K_1 \\ 1 & 5+K_1 \end{vmatrix} = \dots$ | $H_2 = \begin{vmatrix} 6 & K_1 \\ 1 & 5+K_2 \end{vmatrix} = \dots$ | 1刷 |
| 394 | (3)↑2～3 | (実数部) : $6(5+K_2) = 6\omega_C^2 \dots$ (虚数部) : $-j\omega_C^3 + (5+K_2)j\omega_C \dots$ | (実数部) : $6(5+K_2) - 6\omega_C^2 = 0 \dots$ (虚数部) : $-j\omega_C^3 + j\omega_C(5+K_2) = 0 \dots$ | ～4刷 |
| | (4)↓2 | $E(s) = \dots = \frac{1}{1 + \frac{K_1}{s(s+1)(s+5)K_2 s}} R(s)$ | $E(s) = \dots = \frac{1}{1 + \frac{K_1}{s(s+1)(s+5)+K_2 s}} R(s)$ | 1刷 |
| 395 | ↑7 | K_1 を固定したとき、 K_2 を大きくすると | K_2 を固定したとき、 K_1 を大きくすると | 1刷 |
| 396 | ↑10 | $H_1 = 1 + 2T > 0 \dots \textcircled{③}$ | $H_1 = 1 + 2T \dots \textcircled{③}$ | 1刷 |
| 397 | ↓7 | $20T^2 + 86T + 2 > 0$ | $20T^2 - 86T + 2 > 0$ | ～4刷 |